

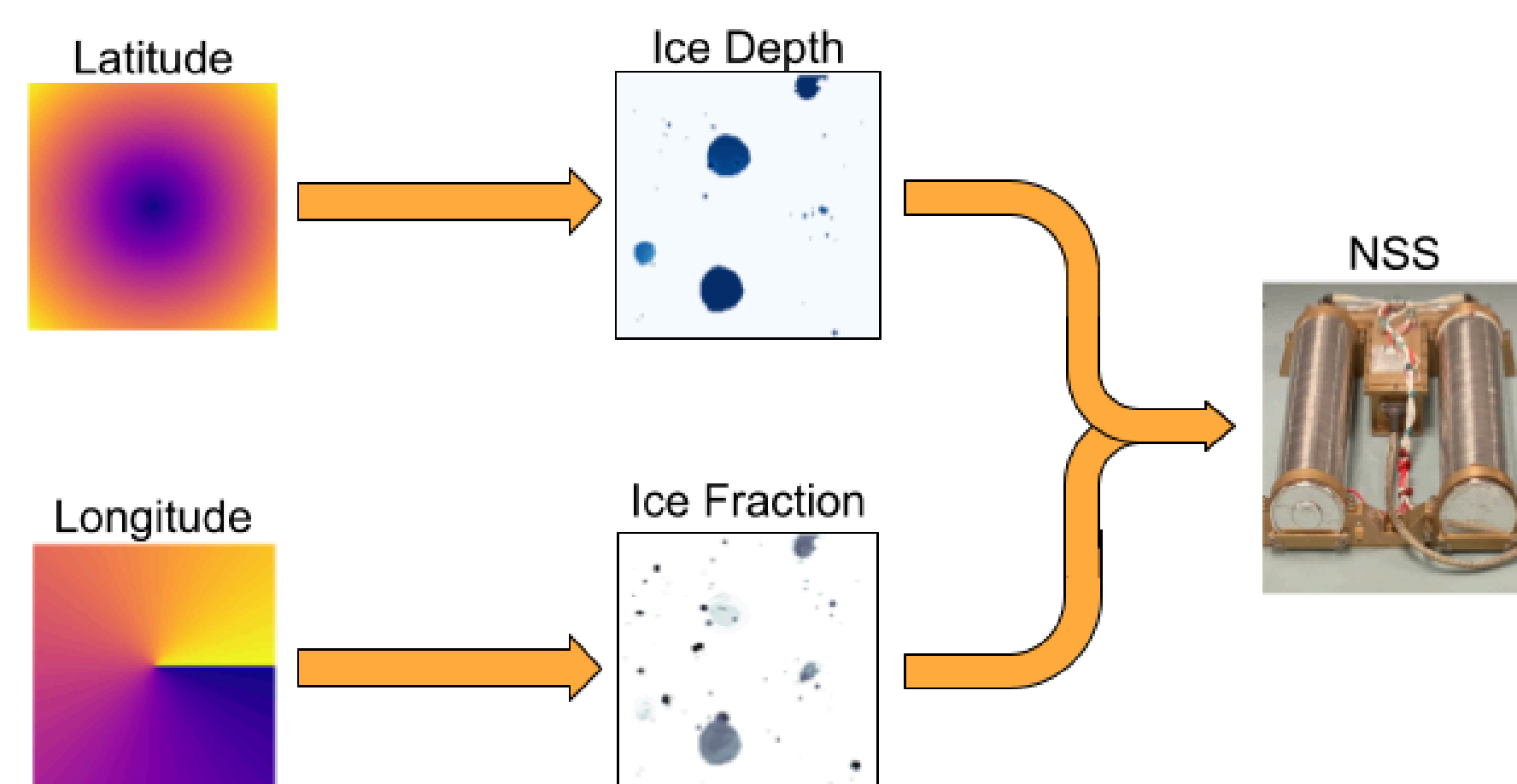
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Motivation

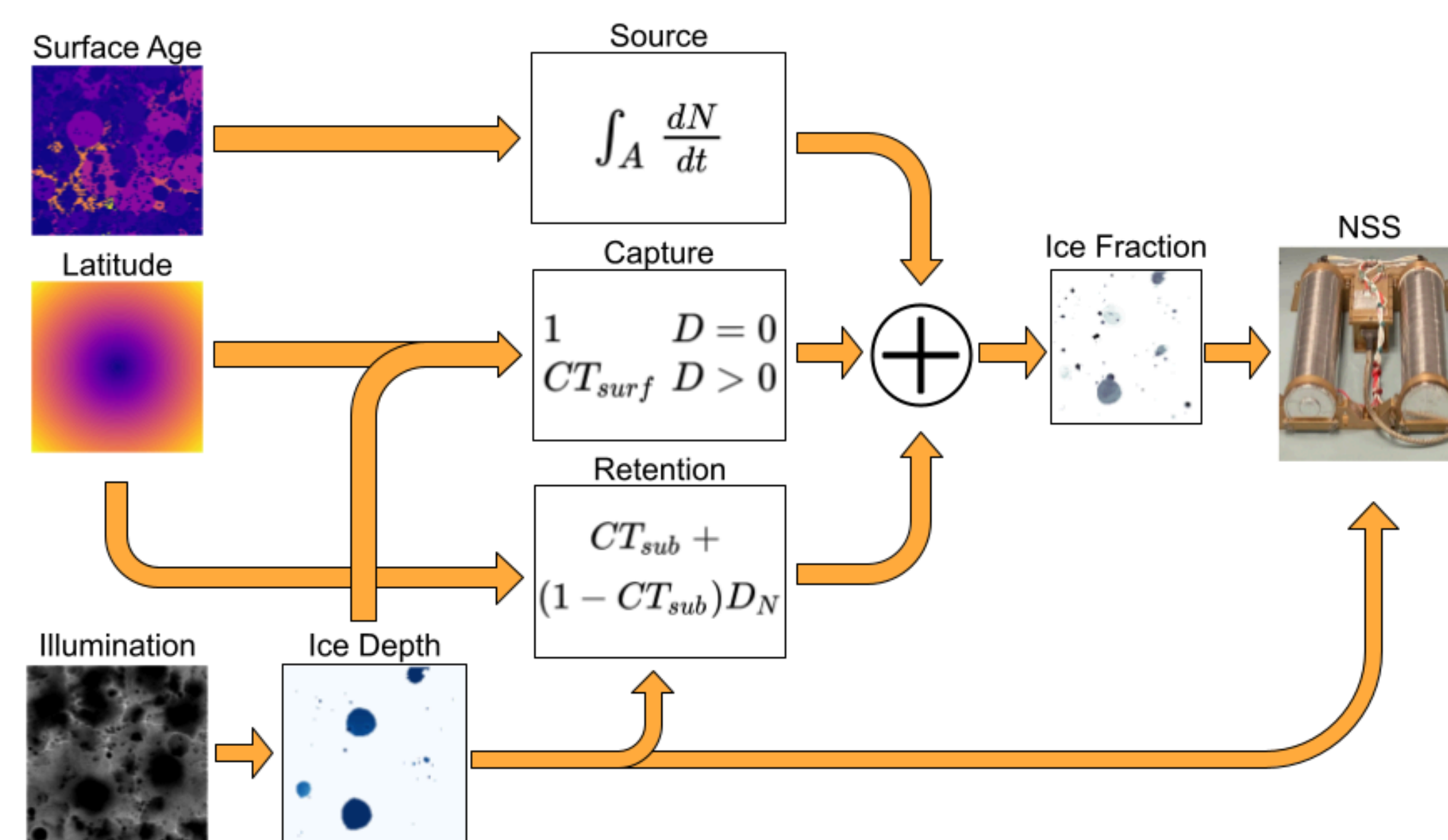
Integrating information into maps enables adaptive reasoning about physical processes

Methods: Deep Gaussian Processes

Simple Deep Model: Latent values from one GP per spatial input



Full Deep Model: Hierarchy of GPs based on physical knowledge



Methods: Sensor Loss

Additional loss term from neutron spectrometer (NSS) sensor model

$$\mathcal{L} = \mathcal{L}_{GP} + \mathcal{L}_{NSS}$$

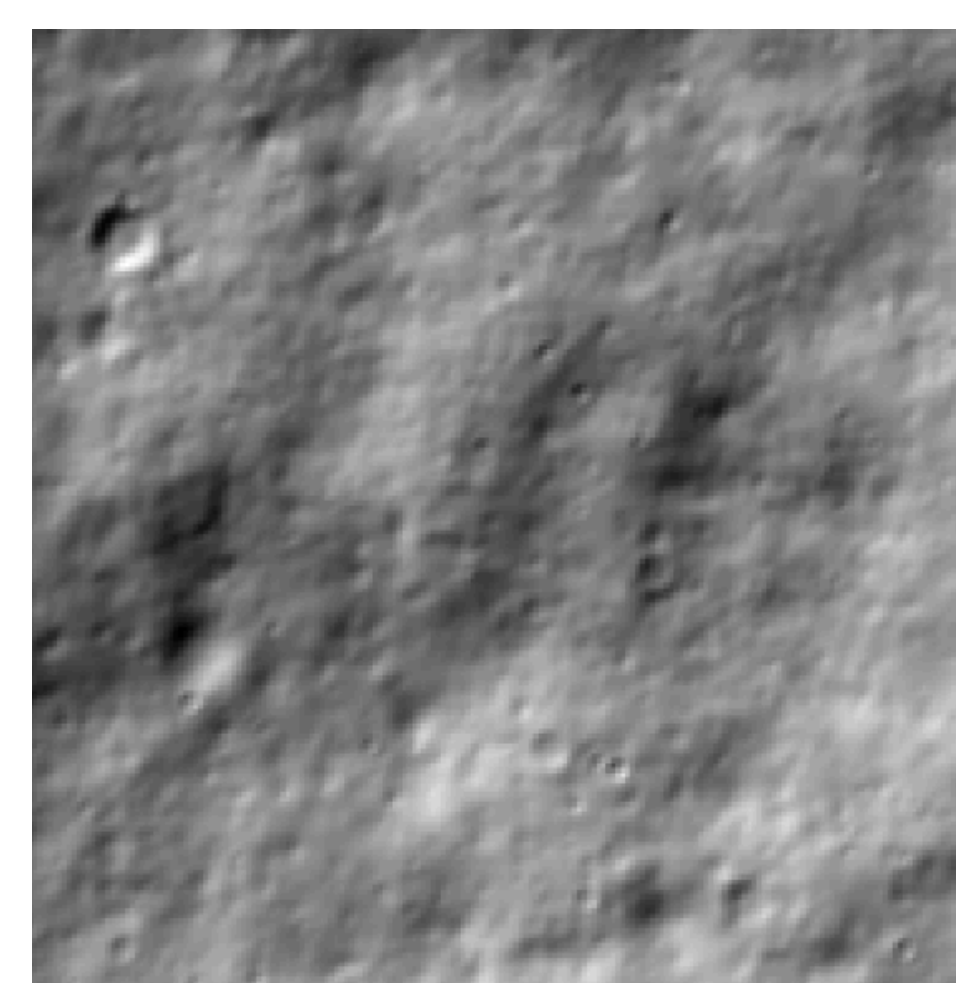
$$-\log(P(\mathbf{y}|X)) \quad \frac{1}{N} \sum_{i=0}^N (\mathbf{y} - \hat{\mathbf{y}})^2$$

Baselines

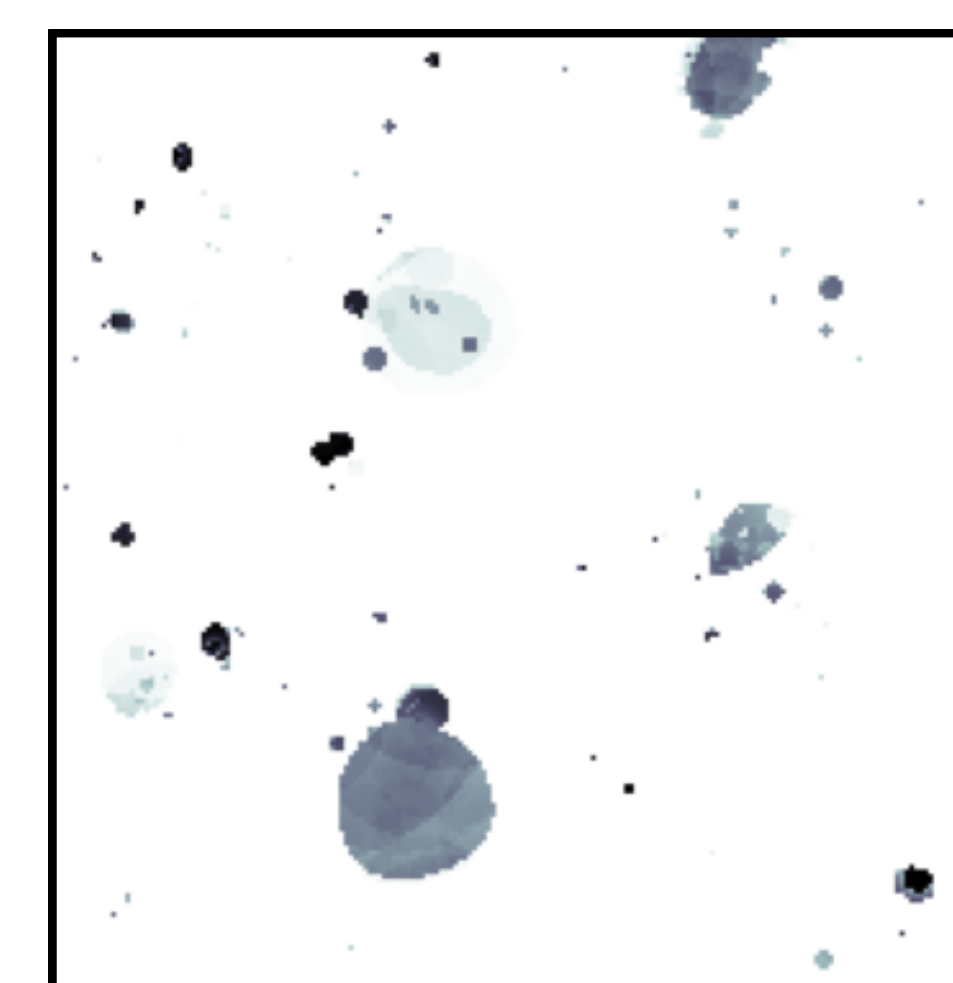
- Standard GPs with spatial and/or process variable (PV) predictors
- Multi-output GP predicting observations and PVs (MOGP)

Dataset

Simulated lunar surface and volatiles over geologic time



Surface



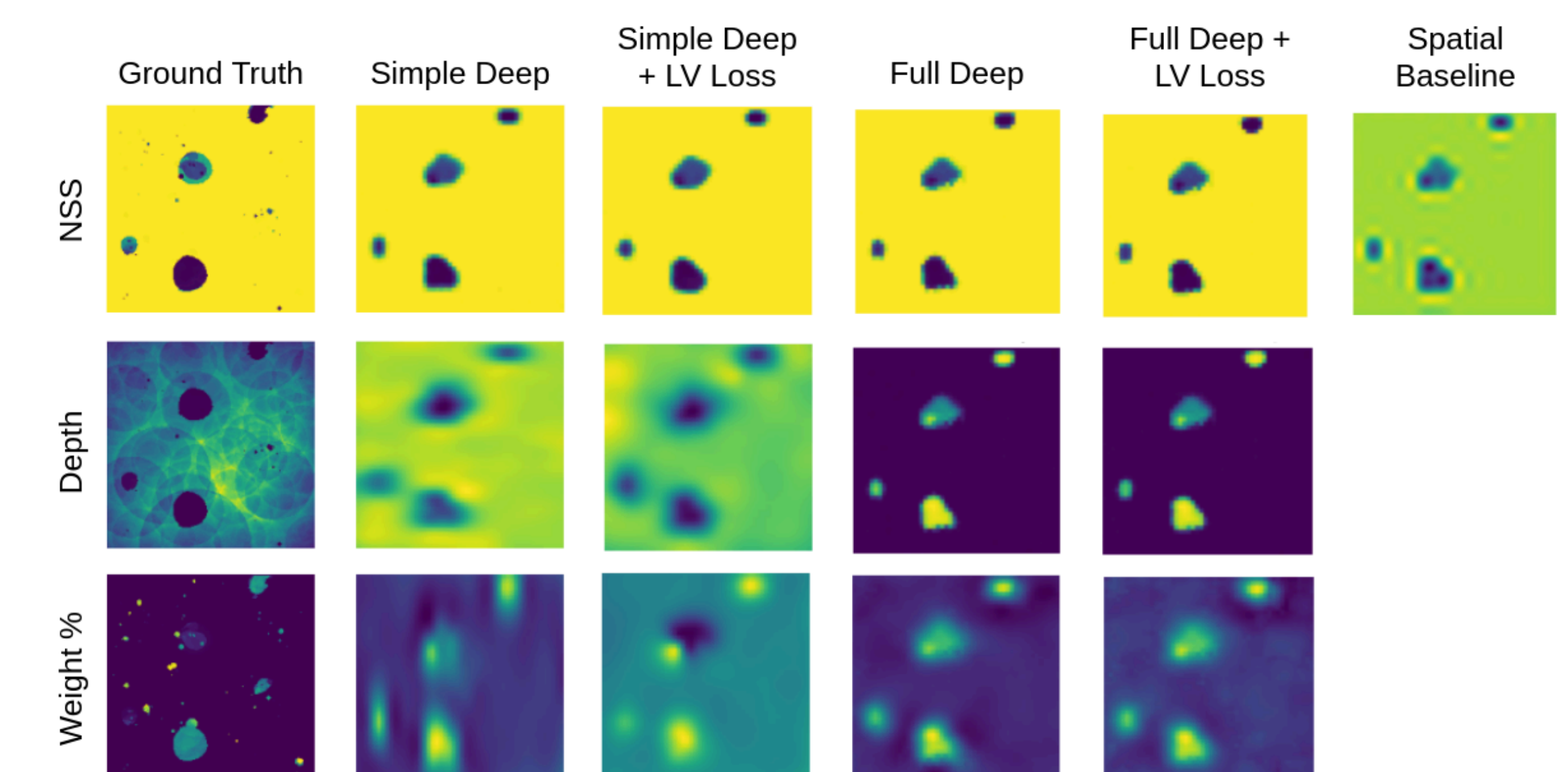
Ice Weight Fraction

Results

Physically informed maps exhibit:

- Lower map error
- Ability to model indirectly-observed quantities of interest (depth, weight fraction)

Model	NSS MAE (↓)	Depth MAE (↓)	Wt % MAE (↓)
Spatial Baseline	0.8374	–	–
PV Baseline	1.8669	–	–
Spatial + PV Baseline	0.8601	–	–
MOGP Baseline	0.9448	–	–
Simple Deep	0.4386	1.6260	0.0565
Simple Deep + LV Loss	0.4134	2.9709	0.0750
Full Deep	0.4540	1.8914	0.1080
Full Deep + LV Loss	0.4584	2.5425	0.0735



Acknowledgements

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